

Code Golf  
Hackathon

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# Fi zz Bu zz

Given an array of integers,

- replace all the one that are divisible by 3 with 'Fi zz'
- all the ones that are divisible by 5 with 'Bu zz'
- all the ones that are divisible by both with 'Fi zzBu zz'

```
Fi zz Bu zz ← {v/d ← 0 = 4/3 5 | ω : d / 'Fi zz Bu zz' ◊ ω}''
```

```
Fi zz Bu zz 7+ι8
```

```
8 Fi zz Bu zz 11 Fi zz 13 14 Fi zz Bu zz 16
```



# Function Trains

A sequence of 2 or more functions *in isolation* is a train:

+ , - , × , ÷    A 7 functions

The functions can be primitive, derived or defined:

foo +.× goo    A 3 functions



# Function Trains: *in isolation*

3 +, - 2      A not a train

1

3(+, -)2      A      a train

5 1

(+, -)/3 2      A train reduction

5 1



# Function Trains: *in isolation*

f ← +, -    A a train

3 f 2    A train application

5 1



## Function Trains: definition

The functions in a train are grouped in threes, starting from the right:

$$+ , - , \times , \div \quad \leftrightarrow \quad + , ( - , ( \times , \div ) )$$

There may be a group of two left over:

$$- \ + \neq \ \div \ \neq \quad \leftrightarrow \quad - ( + \neq \ \div \ \neq )$$

A useful diagnostic tool: ]box on -trains=parens



# Function Trains: definition

A 2-train is an *atop*:

$$\begin{aligned} (g \ h) \ \omega &\leftrightarrow g \ ( \ h \ \omega) \\ \alpha \ (g \ h) \ \omega &\leftrightarrow g \ (\alpha \ h \ \omega) \end{aligned}$$

A 3-train is a *fork*:

$$\begin{aligned} (f \ g \ h) \ \omega &\leftrightarrow ( \ f \ \omega) \ g \ ( \ h \ \omega) \\ \alpha \ (f \ g \ h) \ \omega &\leftrightarrow (\alpha \ f \ \omega) \ g \ (\alpha \ h \ \omega) \end{aligned}$$

The left tine of a fork may also be an array:

$$\begin{aligned} (A \ g \ h) \ \omega &\leftrightarrow A \ g \ ( \ h \ \omega) \\ \alpha \ (A \ g \ h) \ \omega &\leftrightarrow A \ g \ (\alpha \ h \ \omega) \end{aligned}$$



# Function Trains: atop

2 (?ρ) 6

↔ ? (2 ρ 6)

↔ ? 6 6

↔ 5 1 a for example!



# Function Trains: forks

$(+ / \div \neq) 1 2 3 4$

$\leftrightarrow (+ / 1 2 3 4) \div (\neq 1 2 3 4)$

$\leftrightarrow 10 \div 4$

$\leftrightarrow 2.5$



# Function Trains: long trains

Alternate functions starting from the last are applied to the train's argument(s):

$$6 \ (+ \ , \ - \ , \ \times \ , \ \div) \ 2$$
$$(6+2), (6-2), (6\times 2), (6\div 2)$$
$$8 \ , \ 4 \ , \ 12 \ , \ 3$$

Intervening functions are applied between these results



# CosmicRay

Given a Boolean array, flip a random bit.

```
CosmicRay ← { ~@(c?ρω)⊖ω }  A from 16.0
CosmicRay 4 4ρ2|□AVU
```

```
0 0 0 1
0 0 0 1
1 1 1 1
1 1 0 1
```

Marinus' shorter solution which takes 200–∞ as long:

```
CosmicRay ← ⊖ ≠ ι ∘ ρ ε c ∘ ? ∘ ρ
```



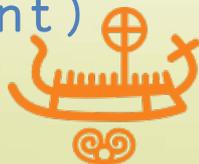
# At operator

```
(mod @ sel) ω ρ say: "mod at sel in ω"
```

Right operand `sel` selects items of `ω` to modify (or replace).

Left operand `mod` says how to modify them (or what to replace them with).

```
100 x@(2 4) ι7 ρ "100-fold at odd items"
100 2 300 4 500 6 700
('*' @ 2 4) 'Hello' ρ "*" at 2 4" (replacement)
H*l*o
```



# At operator: operands

Left operand (modifier) can be either:

- An *array* of replacement values
- A *function* used to modify values

Right operand (selector) can be either:

- A *simple array* selecting major cells
- A *nested array* for choose or reach indexing
- A *function*, applied to  $\omega$ , returning a Boolean mask used for scatterpoint indexing



# At operator: left operand

Left operand (modifier) can be either:

- An *array* of replacement values
- A *function* used to modify values

```

      (200 400@2 4) ι5      A array
1 200 3 400 5
      (ϕ@2 4) ι5          A monadic function
1 4 3 2 5
      100 (×@2 4) ι5      A dyadic function
1 200 3 400 5

```



# At operator: right operand

Right operand (selector) can be either:

- A *simple array* selecting major cells
- A *nested array* for choose or reach indexing
- A *function*, applied to  $\omega$ , returning a Boolean mask used for scatterpoint indexing

```

100@1 3 5 19      A simple array
100 2 100 4 100 6 7 8 9
100@(2◦|) 3 3p19  A Boolean function
100  2 100
  4 100  6
100  8 100

```



# At operator: syntax

Dyadic operators with array right operand often present a parsing problem:

```
c*9 'Hello'  A Wrong! Parses as c*(9 'Hello')
```

Use parentheses:

```
(c*9)'Hello'
```

Or save one character by inserting an identity function:

```
c*9⍫'Hello'
```

But none of this is needed if `c*9` is followed by another function or end of line:

```
c*9 ϕ'Hello'  
f←c*9
```



# UniqueSums

Given a vector, group identical items together, then sum each group.

```

UniqueSums ← x ◦ ≠ ⊞ a from 14.0
UniqueSums 3 1 4 1 5 9 2 6 5 4
3 2 8 10 9 2 6
UniqueSums 2 7 1 8 2 8 1 8 2 8
6 7 2 32

```



# Key operator

$$\alpha \ f \ \omega$$

Left argument  $\alpha$  specifies keys

Right argument  $\omega$  specifies values

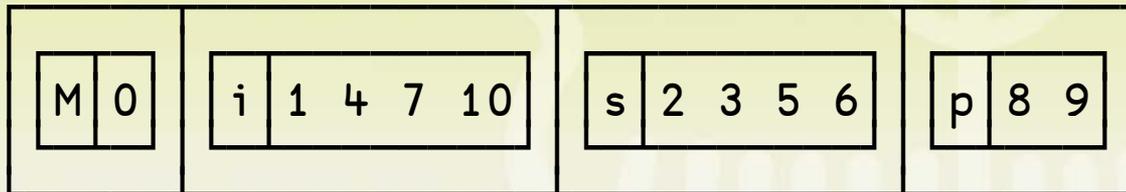
For each unique key in  $\alpha$ ,  $f$  is applied to:

- that key (left argument)
- the values corresponding to all occurrences of that key (right argument)

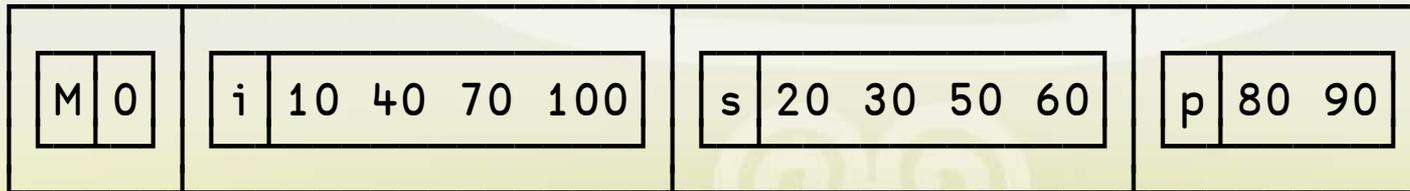


# Key operator: monadic and dyadic

```
{cαω}⊖ 'Mississippi'
```



```
'Mississippi' {cαω}⊖ 10×ι11
```



# InterleaveReverse

Given a vector, interleave the even-position items with the reversed odd-position items.

```

InterleaveReverse ← φ@{2|ι≠ω}  Ṁ from 16.0
InterleaveReverse 'aBcDeFgHi'
iBgDeFchA
InterleaveReverse 'abcdefghij'
ibgdefchaj
InterleaveReverse ι10
9 2 7 4 5 6 3 8 1 10
InterleaveReverse 'AA' 'bb' 'CC' 'dd' 'EE' 'ff' 'GG'
GG bb EE dd CC ff AA

```



# The Stack Exchange Code Golf Community

- [codegolf.stackexchange.com](http://codegolf.stackexchange.com)
- Beware of *byte* count (☺, ☹, ☹, ☹, ☹, ☹ → ☹OPT, ☹U2364, etc.)
- You may use ☹ and ☹ for input
- Use [tio.run](http://tio.run) to automatically format a submission
- Explain your code if you can
- The submission we made during the workshop:  
[codegolf.stackexchange.com/a/142707/43319](http://codegolf.stackexchange.com/a/142707/43319)

