

Text Processing in APL

Dyalog '22

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Is APL only about
numbers?

Text

IN → **Trees** → **Out**

IN → **Trees**

OS OR

Limited

Sharp
Corners

Comp. Sci.?

Grammars

Context-free

Context-
sensitive

PEG

Parsing Expression Grammar

Seq ← S1 S2

Choice ← A | B

Recursive Descent

$S \rightarrow \epsilon \mid (\text{char} \mid \text{Par} \mid \text{Brk}) S$

$\text{Par} \rightarrow \text{'(' } S \text{')'}$

$\text{Brk} \rightarrow \text{'[' } S \text{']'}$

Usability?

Errors
AST Creation
Auxiliary Data

Tracking Flow

$S \rightarrow \epsilon \mid (\text{char} \mid \text{Par} \mid \text{Brk}) S$

$\text{Par} \rightarrow \text{'(' } S \text{')'}$

$\text{Brk} \rightarrow \text{'[' } S \text{']'}$

$S \rightarrow (\text{char} \mid \text{Par} \mid \text{Brk}) S \mid \epsilon$

$\text{Par} \rightarrow \text{'(' } S \text{')'}$

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$S \rightarrow (\text{Par} \mid \text{Brk} \mid \text{char}) S \mid \epsilon$

$\text{Par} \rightarrow \text{'(' } S \text{')'}$

$\text{Brk} \rightarrow \text{'[' } S \text{']'}$

Performance?

Easy to Explode,
Hard to Catch

Interpreter Overhead

Sharp Corners, still.

Data-parallel
Idiomatic
Flexible/Scalable

Error Handling

Context Sensitivity

Avoids sharp corners

Linear Data-flow “Micro pass”

Linearize the Grammar Dependencies

$S \rightarrow (\text{Par} \mid \text{Brk} \mid \text{char}) S \mid \epsilon$

$\text{Par} \rightarrow \text{'(' } S \text{')'}$

$\text{Brk} \rightarrow \text{'[' } S \text{']'}$

```

x ← 'kdf l (kkdf (ksdk [ksd (ksfl] ksk) ksd)) '
d ← + \ (o ← x ∈ ' ( [ ' ) + - c ← x ∈ ' ) ] '
2 { p [ ω ] ← α [ α ⊥ ω ] } ≠ ⊃ ° c ⊖ - 1 φ d → p ← ι ≠ d
Φ x , ⚡ x [ p ]

```

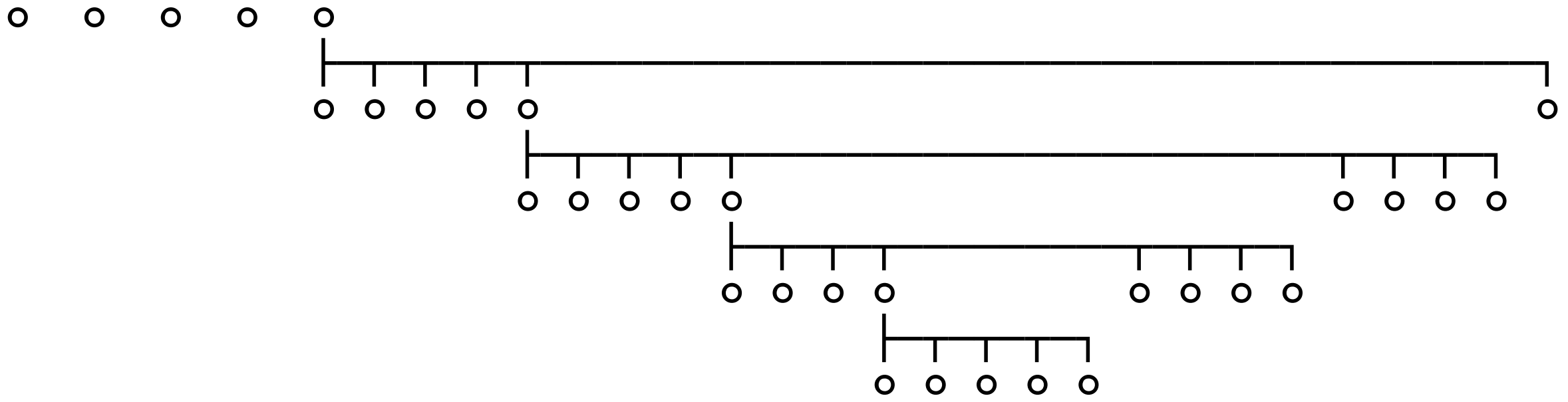
```

kdf l (kkdf (ksdk [ksd (ksfl] ksk) ksd))
kdf l ( ( ( ( ( ( ( ( ( ( ( [ [ [ [ ( ( ( ( [ [ [ [ ( ( ( ( (

```

0 0 1 1

codfns . (dwv pp3) p



PEG'Mop	← Pmop , Afx	: 20°φ	'
PEG'Pdop1	← dop1	: 3P	'
PEG'Dop1	← Pdop1 , Afx	: 80°φ	'
PEG'Pdop2	← dop2	: 3P	'
PEG'Vop	← Atom , Pdop2 , Afx	: 50°φ	'
PEG'Pdop3	← dop3	: 3P	'
PEG'Dop3	← Pdop3 , Atom	: 70°φ	'
PEG'Bop	← rbrk , Ex , lbrk , (4 Lbrk) , Afx	: 50°φ	'
PEG'JotDP	← dot , jot	: 3P°φ	'
PEG'JotDot	← Fnp , JotDP	: 20	'
PEG'Fop	← Fnp , (Dop1 Dop3 ?)	: MkAST	'
PEG'Afx	← Mop JotDot Fop Vop Bop		'
PEG'Trn	← Afx , (Afx Idx Atom , (∇ ?) ?)	: 5F°φ	'
PEG'Bind	← gets , Symbol [αα]	: αα B	'
PEG'Gets	← ε	: ¬αα P{ , ' ' ← ' ' }	'
PEG'Mname	← Afx , (1 Name)	: 4E Atn°φ	'
PEG'Ogets	← Afx , (3 Gets)	: 20	'
PEG'Mbrk	← Ogets , Brk , (1 Name)	: 4E°(1°↓)Atn°φ	'
PEG'Mget	← Mname Mbrk		'
PEG'Bget	← 2 Gets , Brk , (1 Name)	: 4E°(1°↓)Atn°φ	'
PEG'ExHd	← Asgn (1 Bind) App , ∇ ?		'
PEG'Ex	← IAx , ExHd	: MkAST	'

```

Fn ← { a(i d) ← ω ◊ 0 ≠ a:0 ⊕ α(i d)
0 ≠ ss ← (4 > z) / ~m ← (((N Δ i ' F ') = 1 > r) ^ -1 = 2 > r) ⊢ z ← ; / ↑ a:0 (, c z) α(i d)
0 < c ← r > ~0, pi ← ⊕ > r ← ↓ ⊕ ↑ ps ← α ◦ Fa ss, " c d: pi > ps
0 (, c (c " z) (( > ; /) ⊢ @ { m } ) " ~ ↓ (m ≠ 0 > z) + @ 0 ⊕ ↑ > " 1 > r ) α(i d) }
FnType ← { [ / 2, 3 4 × -1 ≠ (-1, ~1 > ω) [ ' α α ' ' ω ω ' i ~ > ω ] }
PEG' ClrEnv ← (Alp[-1]), (Alp, Alp[-1]), (Omg[-1]), (Omg, Omg[-1]) ↓
PEG' Fax ← lbrc , (Gex | Ex | Fex Stmts rbrc) → Fn : (FnType α) F
PEG' FaFnW ← Omg[1] ↓ , Fax []
PEG' FaFnA ← Omg[1] , (Alp[1]) ↓ , Fax []
PEG' FaFn ← FaFnW | FaFnA
PEG' FaMopV ← Alp, Alp[1] ↓ , FaFn []
PEG' FaMopF ← Alp, Alp[2] ↓ , FaFn []
PEG' FaMop ← FaMopV , (FaMopF ?) | FaMopF
PEG' FaDopV ← Omg, Omg[1] ↓ , FaMop []
PEG' FaDopF ← Omg, Omg[2] ↓ , FaMop []
PEG' FaDop ← FaDopV , (FaDopF ?) | FaDopF
PEG' Fa ← ClrEnv , (FaFn | FaMop | FaDop) []
PEG' Nlrp ← sep | rbrc ↑ Slrp (lbrc Blrp rbrc)
PEG' Stmt ← sep | (α α , (sep | lbrc) ⊕ Nlrp)
PEG' Stmts ← ω ω | (α α Stmt , ∇)
PEG' Ns ← nss , (Ex | Fex Stmts nse) , eot → Fn : (-1 + -) 0 F ⊢

```

- Compute parent vector from d
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- Nest top-level root lines as Z nodes
- Wrap all dfns expression bodies
- Drop any Z nodes that are empty
- Parse :Namespace
- Parse guards
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- Parse ;
- Mark system variables
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- Unify atomic array values
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- Wrap bindings into B nodes
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- Simplify and Optimize the AST

A Link variables to their bindings

$mk \leftarrow \{\alpha[\omega], \tau n[\omega]\}$

$_ \leftarrow \{$

A Link local variables with their local bindings

$vb[i] \leftarrow fb[fr \uparrow rf \quad mk \vdash i \leftarrow _ (t=V) \wedge vb = \bar{1}]$

$vb[i] \leftarrow fb[fr \uparrow rfn \quad mk \vdash i \leftarrow _ (t=V) \wedge vb = \bar{1}]$

$b \leftarrow vb[i \leftarrow i \neq _ vb[i] \neq \bar{1}]$

$vb[i \neq _ (rz[i] < rz[b]) \vee (rz[i] = rz[b]) \wedge i \geq b] \leftarrow \bar{1}$

A Mark free variables with their scope before binding

$lx[i \leftarrow _ (t=V) \wedge vb = \bar{1}] \leftarrow 1$

A Add free variables to closures

$i \leftarrow i \neq _ k[rfn[i]] \neq 0 \quad \diamond \quad ci \leftarrow p[rfn[i]] \quad \diamond \quad vb[i] \leftarrow (\neq p) + _ \neq i$

$p, \leftarrow ci \quad \diamond \quad vb \quad lx, \leftarrow (\neq ci) p \bar{1} \quad 0 \quad \diamond \quad rf \quad rfn(_, I) \leftarrow ci$

$t \quad k \quad n \quad pos \quad end(_, I) \leftarrow ci$

$i \} \ast \{ 0 = \neq \alpha \} \theta$

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A Parse plural value sequences to A7 nodes

$i \leftarrow |i \rightarrow km \leftarrow 0 < i \leftarrow \epsilon p[i] (c - \ddot{\rightarrow}, \vdash) \exists i \leftarrow \underline{t}[p] = Z$

$msk \wedge \leftarrow \rightarrow 1 \quad \neg 1 \vee . \phi < msk \leftarrow km \wedge (t[i] = A) \vee (t[i] \in P \vee Z) \wedge k[i] = 1$

$np \leftarrow (\neq p) + \vdash \neq ai \leftarrow i \neq \ddot{a} m \leftarrow 2 > \neq msk; 0 \quad \diamond p \leftarrow (np @ ai \vdash \neq p)[p] \quad \diamond p, \leftarrow ai$

$t \quad k \quad n \quad lx \quad pos \quad end(\rightarrow, I) \leftarrow c ai$

$t \quad k \quad n \quad lx \quad pos(\rightarrow @ ai \ddot{\rightarrow}) \leftarrow A \quad 7(c ' ') 0(pos[i \neq \ddot{a} km \leftarrow 2 < \neq 0; msk])$

$p[msk \neq i] \leftarrow ai[-1 ++ \backslash km \neq \ddot{a} msk \leftarrow msk \wedge \sim am]$

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Flexible

Easy to grow

Avoids:

Cognitive context-switching

Domain segregation

Maps well to APL
performance model

Fear not.

Thank you.