

# Train Spotting in Dyalog APL

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# Trains (choo choo)



# Function trains: *a bit of history*

Expression

Composition

TMN

APL

TMN

APL

$f(g(x))$

$f\ g\ x$

$(f \circ g)(x)$

$(f \circ g)\ x$

$f(x) * g(x)$

$(f\ x) * g\ x$

$((f * g))(x)$

$((f * g)\ x)$

# Function Trains: *valence*

$(+,-)2$       A monadic train

$2^{-}2$   
 $3(+,-)2$       A dyadic train

5 1

TMN

$3 \pm 2$

$\Rightarrow$

APL

$(f\ g\ h)$

$\Leftarrow$

TMN

$(f \times g)(x)$

# Summary

Short, pure and simple

2 train: atop – (f α g ω)

3 train: fork – ((α f ω) g (α h ω))

# Links

<https://aplwiki.com/wiki/Trains>

Search: **aplwiki trains**

[https://dfns.dyalog.com/n\\_tacit.htm](https://dfns.dyalog.com/n_tacit.htm)

Search: **dfns tacit**

Next Webinar:

20<sup>th</sup> February 2020  
(4PM UTC)

“Greasing the wheels:  
Tuning APL Code for Speed” - *working title*



# Be careful

- Monadic vs dyadic



# Function Trains: *in isolation*

1      3 + , - 2      A not a train

1      3 (+ , - ) 2      A yes a train

5 1      f ← + , -      A train assignment

5 1      3 f 2      A train application

# Function Trains: *summary*

A 2-train is an *atop*:

$$\begin{array}{lcl} (g \ h) \ \omega & \Leftrightarrow & g \ ( \ h \ \omega) \\ \alpha \ (g \ h) \ \omega & \Leftrightarrow & g \ (\alpha \ h \ \omega) \end{array}$$

A 3-train is a *fork*:

$$\begin{array}{lcl} (f \ g \ h) \ \omega & \Leftrightarrow & ( \ f \ \omega) \ g \ ( \ h \ \omega) \\ \alpha \ (f \ g \ h) \ \omega & \Leftrightarrow & (\alpha \ f \ \omega) \ g \ (\alpha \ h \ \omega) \end{array}$$

The *left tine* of a *fork* (but not an atop!) can be an array:

$$\begin{array}{lcl} (A \ g \ h) \ \omega & \Leftrightarrow & A \ g \ ( \ h \ \omega) \\ \alpha \ (A \ g \ h) \ \omega & \Leftrightarrow & A \ g \ (\alpha \ h \ \omega) \end{array}$$



# Function Trains: *How to read*

Functions in a train are grouped in threes from right:

$$| +, -, \times, \div \Leftrightarrow ( | ( +, ( -, ( \times, \div ) ) ) )$$

]Box on -trains=parens      a for  
diagnostics

+ , - , × , ÷  
+ , ( - , ( × , ÷ ) )



# Function Trains

Odd-numbered functions starting from the right are applied to the train's argument(s):

$$\begin{array}{ccccccc} 6 & ( & | & + & , & - & , & \times & , & \div & ) & 2 \\ & | & (6+2) & , & (6-2) & , & (6\times 2) & , & (6\div 2) \\ & | & 8 & , & 4 & , & 12 & , & 3 \end{array}$$

*Intervening*, even-numbered, functions are applied between results of the odd-numbered functions



# How to write

- Translating one-liners (expression / dfn)
- Direct transcription of thought concepts to code units

# Example: expression $\rightarrow$ train

➤  $(', ' \neq \text{list}) \subseteq \text{list} \leftarrow ' \text{my}, \text{list}'$

# Example: dfn → train

➤ '.,;'((~€)~⊆⊢)'commas,and;semicolons'

# Example: Thought $\rightarrow$ train

➤  $(\phi \equiv \vdash)$

➤  $(U \equiv \vdash)$

➤  $(\emptyset \equiv \vdash)$



# Example: Thought $\rightarrow$ train

- $(+ \neq \div \equiv)$
- $(+, -)$
- $(\vdash \div + /)$
- \* Compound words

# When to use

- Short pure, simple functions
- Keeping related functionality together

# Short pure, simple functions

➤ Examples given so far...



# Keeping related functionality together

- Visually “merge” functions into a single semantic unit
- $v / \text{'some' 'thing' } \epsilon \text{' } \subset \text{text}$
- 1 0
- $\text{'some' 'thing' } (v / \epsilon) \text{' } \subset \text{text}$
- 1 0
- Alter code in fewer places
- Potential performance benefits

# Code golf



# When NOT to use

- Using compression / replicate
- $5(\langle \{\alpha/\omega\} \vdash) \leq 10$

# Kaomoji

- <https://www.jsoftware.com/papers/amusebouches.htm#0>
- $(x > 0) - (x < 0)$
- $0(> - <)x$
- $1\ 2(\circ . \circ)x$  ♪ Not a train
- $(\vdash \circ . \circ \vdash)$
- $(\neq \subseteq \vdash)$